

Spin-photon quantum interface in quantum dots

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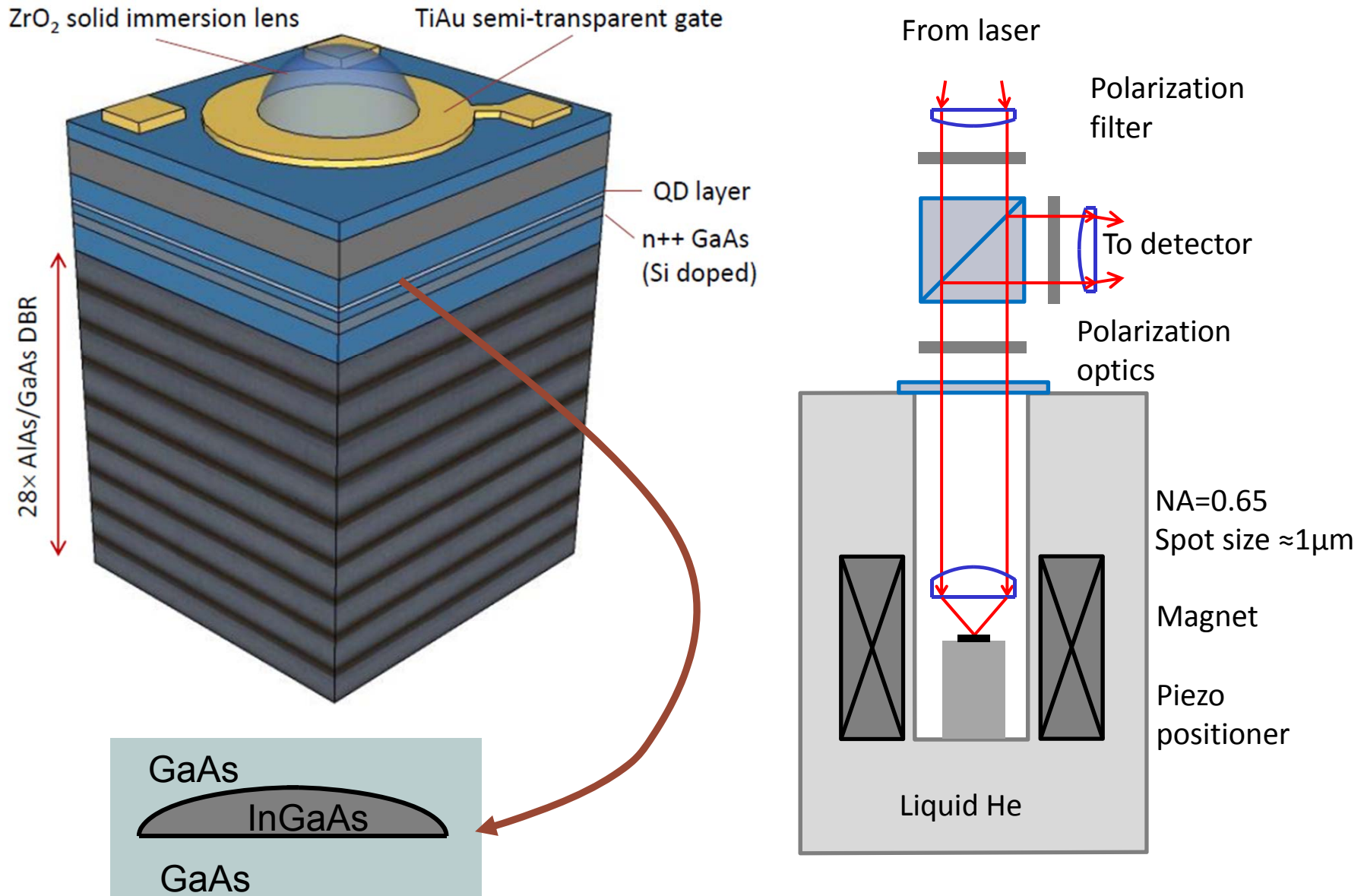
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1. Spin-photon entanglement (see also Peter McMahon's talk)
2. Quantum teleportation of a photonic qubit to a spin qubit

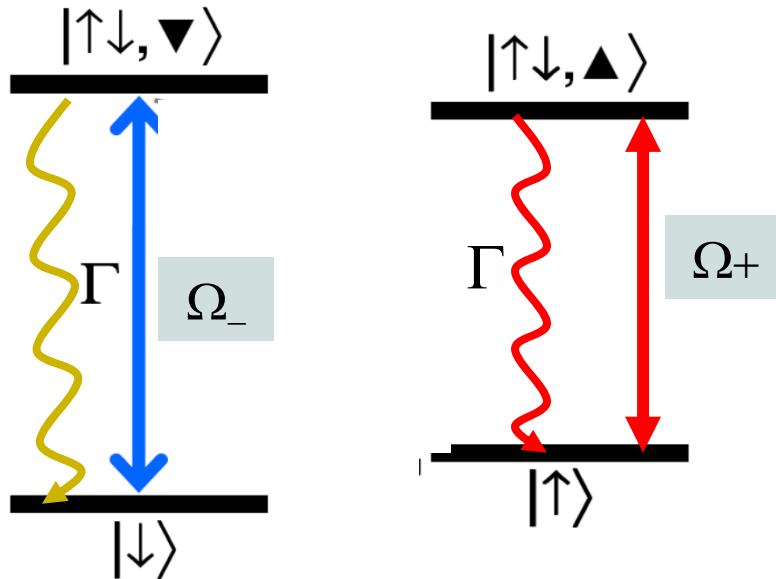
Spin-photon quantum interface

- GaAs based semiconductors exhibit highly efficient spin-dependent optical transitions
⇒ optical manipulation of spin qubits
- Quantum dots in photonic nanostructures allow for efficient extraction of photons
⇒ high efficiency single-photon sources

Resonant quantum dot Spectroscopy



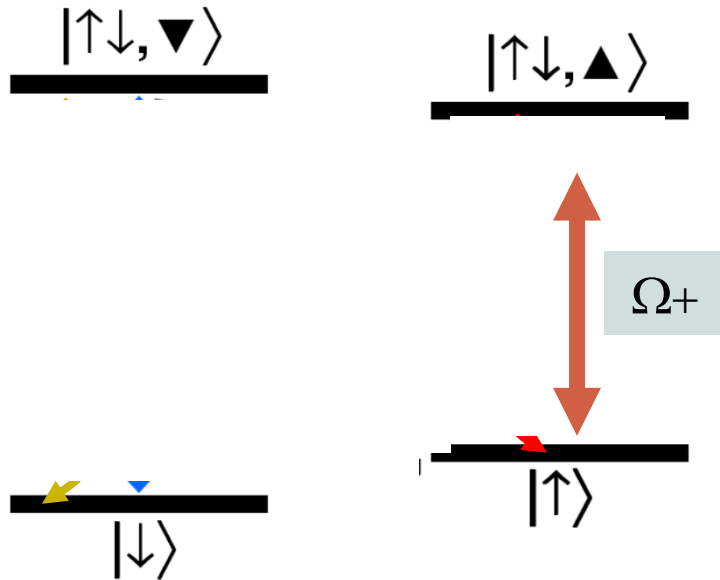
Strong spin-polarization correlations: Faraday geometry ($B_{\text{ext}} = B_z$)



Γ : spontaneous emission rate
 Ω : laser coupling (Rabi) frequency

- QD with a spin-up (down) electron only absorbs and emits $\sigma+$ ($\sigma-$) photons – a recycling transition similar to that used in trapped ions.
⇒ Spin measurement

Strong spin-polarization correlations: Faraday geometry ($B_{\text{ext}} = B_z$)

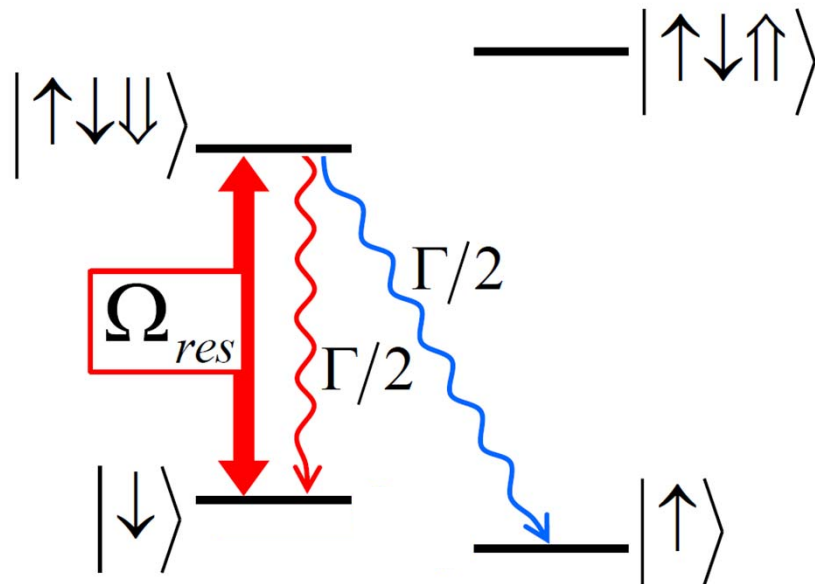


- QD with a spin-up (down) electron only absorbs and emits $\sigma+$ ($\sigma-$) photons – a recycling transition similar to that used in trapped ions.
 \Rightarrow Spin measurement
- An off-resonant $\sigma+$ laser causes ac-Stark shift only for the $|\uparrow\rangle$ state, acting as an effective magnetic field along the z-direction.

Different selection rules in Voigt geometry

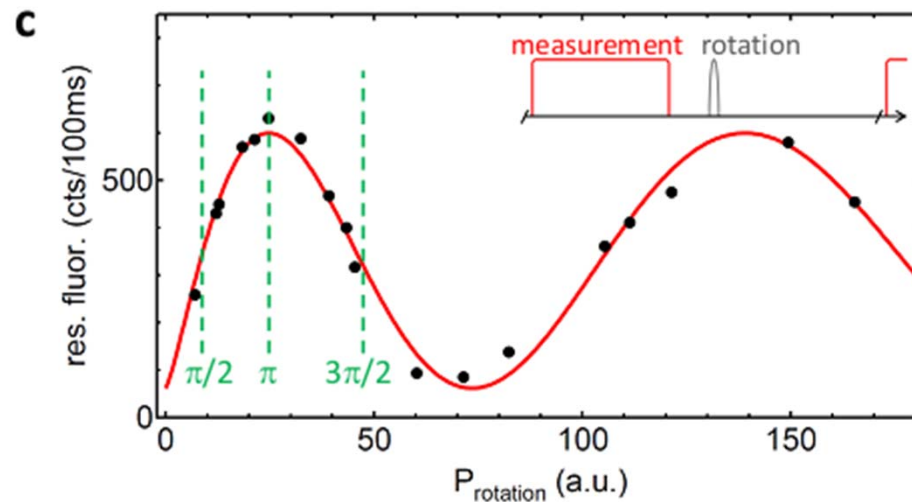
$$(B_{\text{ext}} = B_x)$$

Excitation of a trion state results in either emission of a H polarized red photon to $|\downarrow\rangle$ state or a V polarized blue photon to $|\uparrow\rangle$ state, with equal probability.



Spin rotation using off-resonant circularly polarized lasers

- External field along x ($B_{\text{ext}} = B_x$): quantization axis orthogonal to the laser-induced effective field

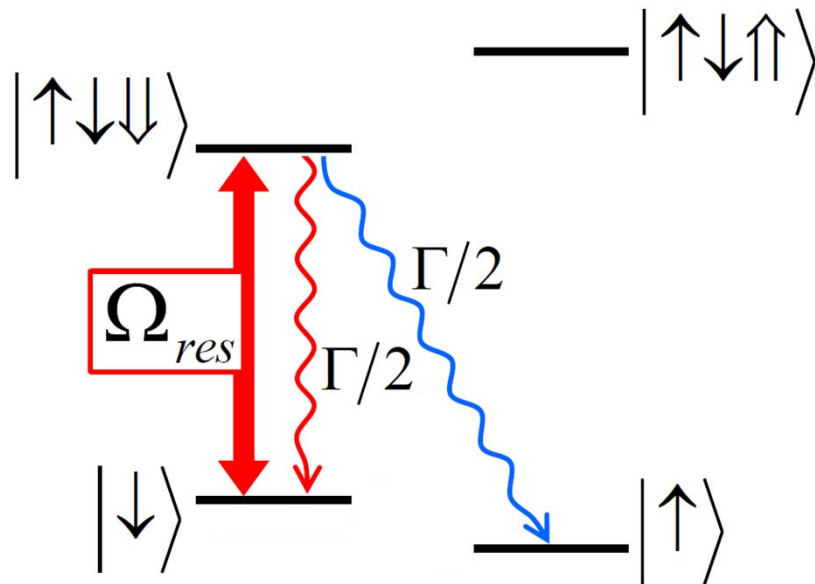


Awschalom, Yamamoto

Selection rules in Voigt geometry

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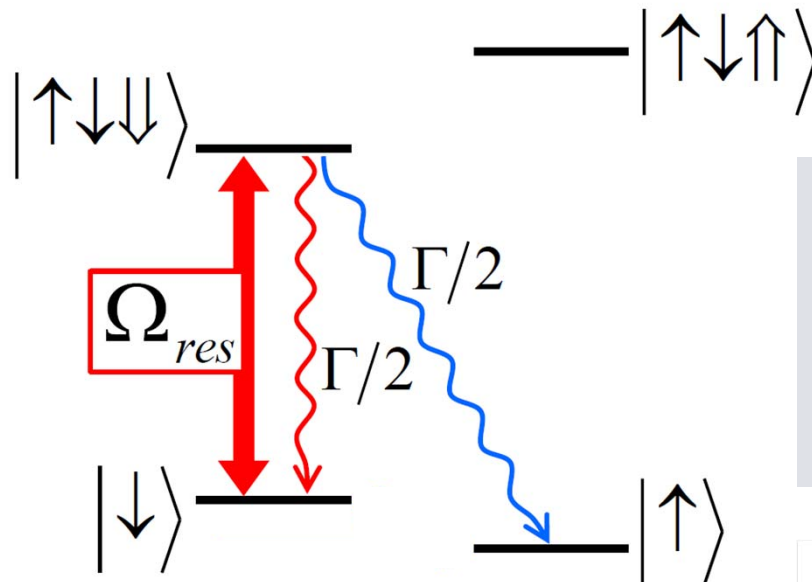
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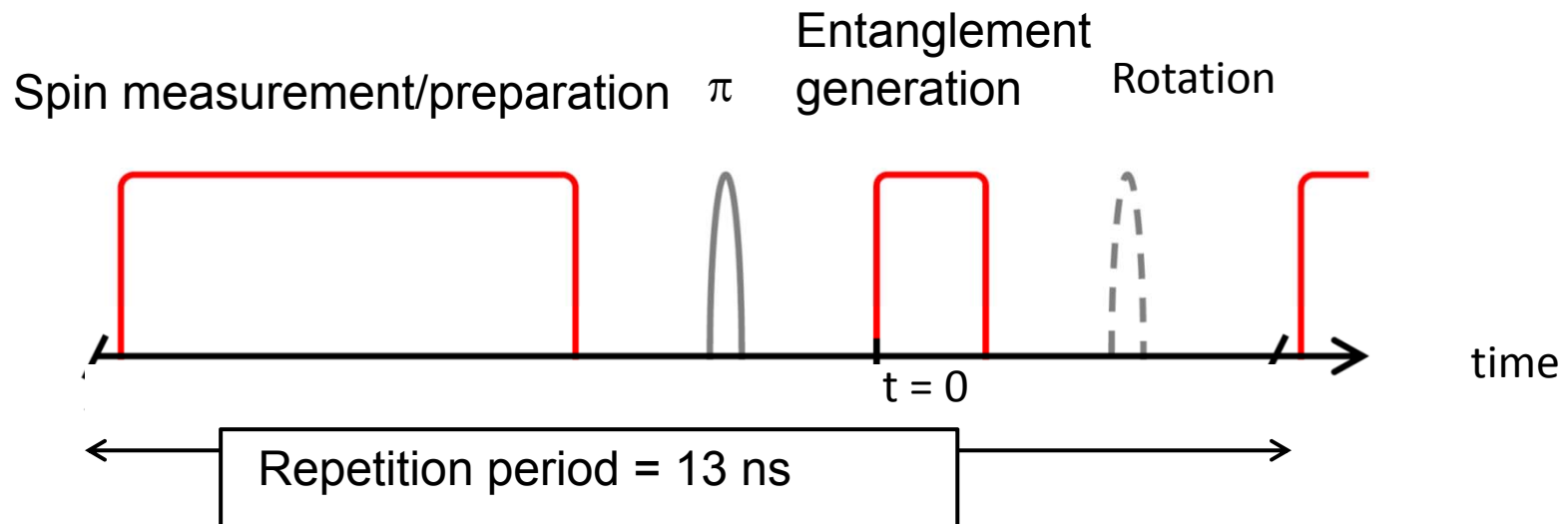


⇒ Spin-photon entanglement:
potentially near-deterministic
entanglement generation at
~1 GHz rate

$$|\Psi\rangle = \frac{1}{\sqrt{2}}(|\downarrow\rangle|\omega_{\text{red}}; H\rangle + i|\uparrow\rangle|\omega_{\text{blue}}; V\rangle)$$

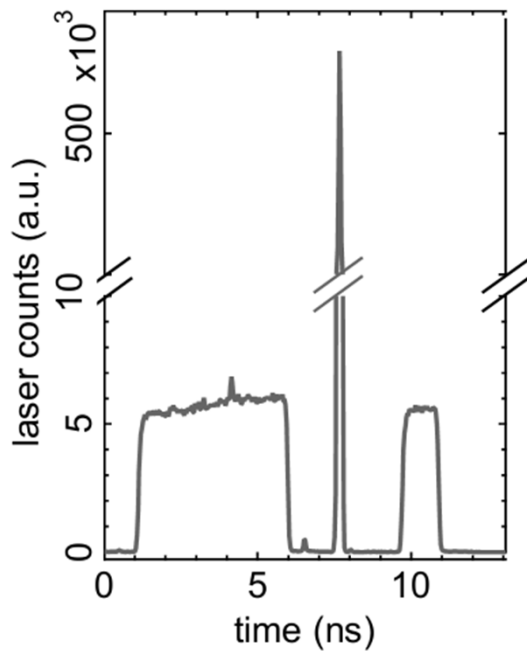
Similar results by Yamamoto, Steel groups; earlier work by Monroe, Lukin

Procedure for spin-photon entanglement generation



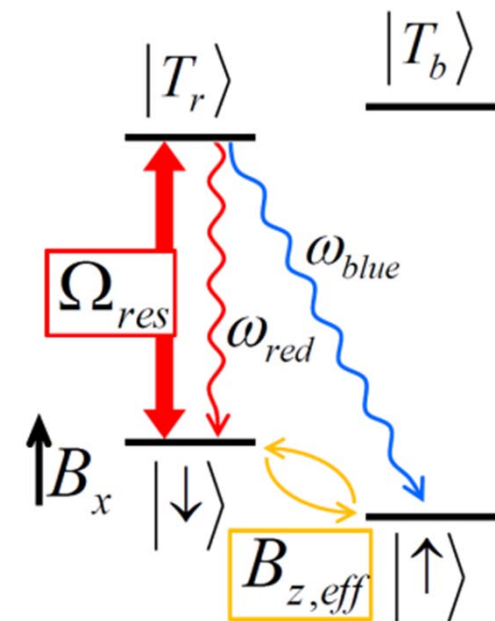
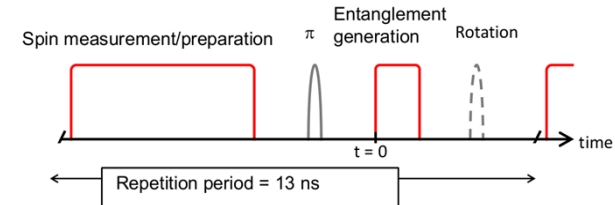
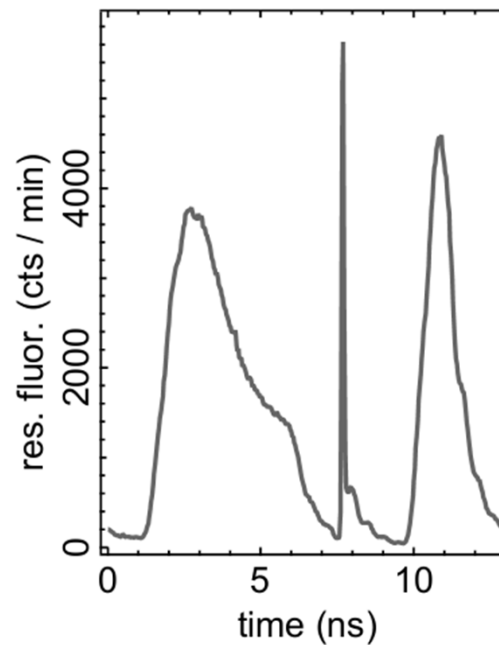
Time resolved resonance fluorescence (RF)

Partially suppressed
laser reflection counts

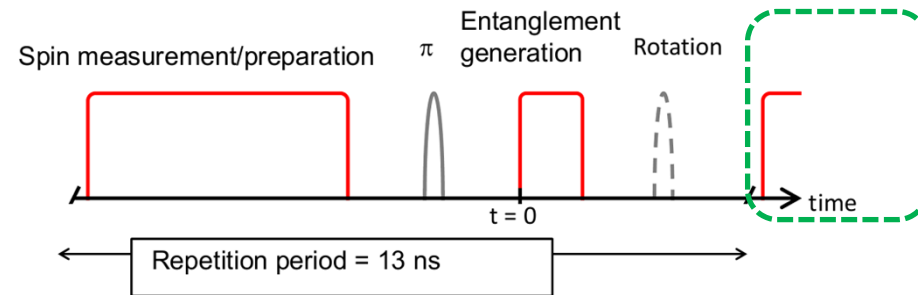
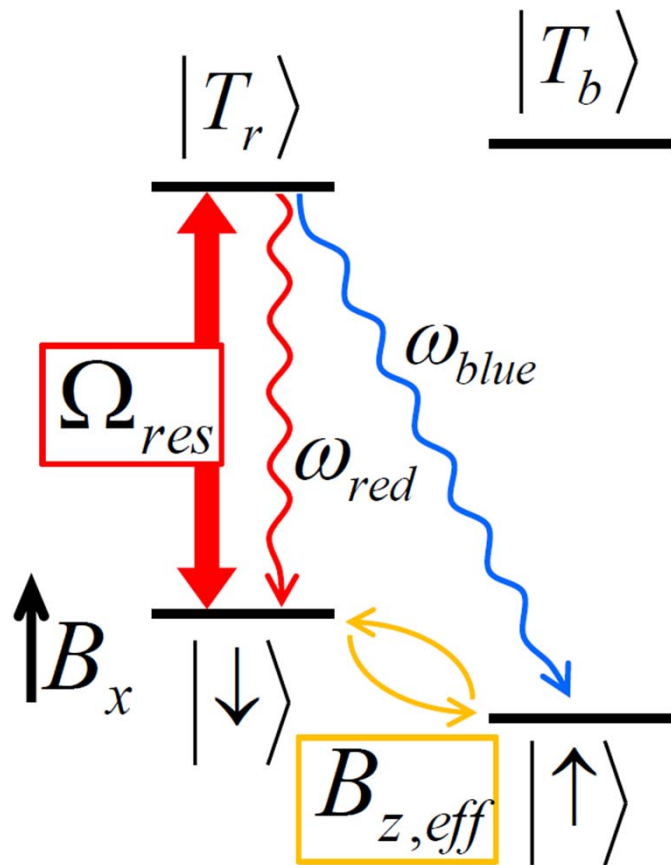


5 μ s spin pumping
4 ps Rotation pulse
1.2 ns entanglement pulse

Time-resolved
RF measurements



Spin measurement and pumping

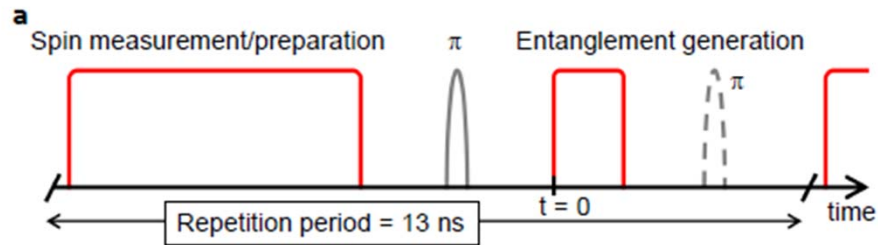


$|\downarrow\rangle \rightarrow \sim 2 \text{ photons/pulse.}$

$|\uparrow\rangle \rightarrow \text{Nothing.}$

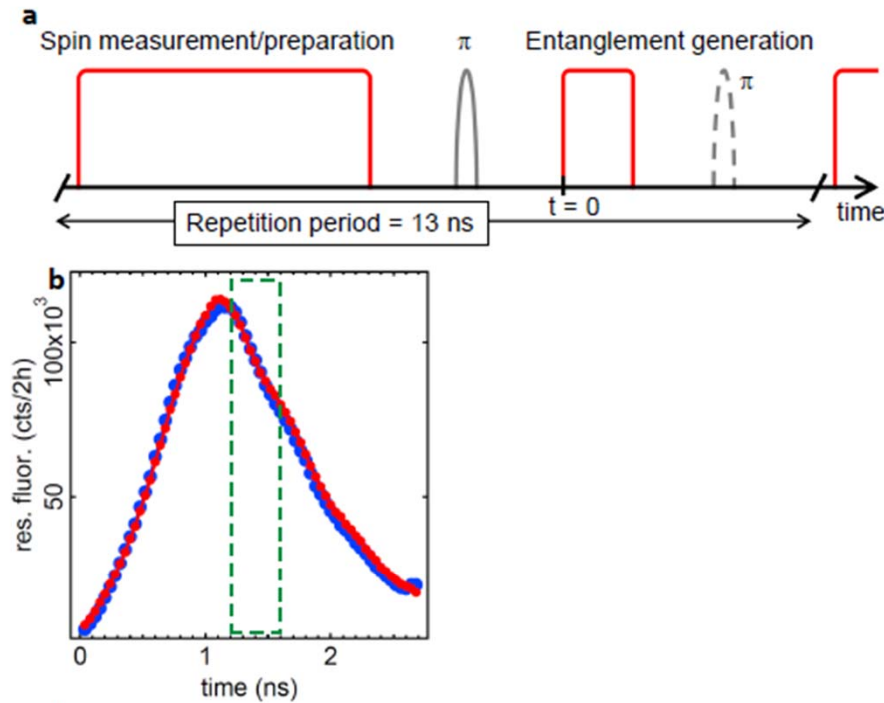
- The detection of a photon shows the spin is in the state $|\downarrow\rangle$
- At the end of the pulse, the spin is prepared in $|\uparrow\rangle$

Measurement of classical correlations



An additional π -pulse (dashed curve) is applied to realize a heralded measurement in the spin-up state.

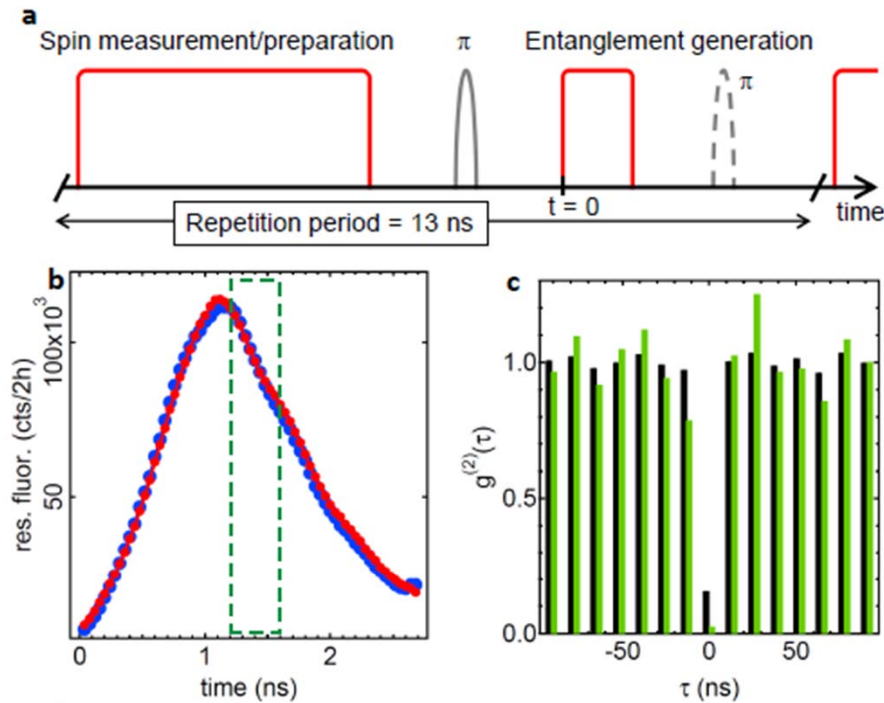
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Identical (unconditional) counts for red and blue photons confirm the selection rules.

Measurement of classical correlations

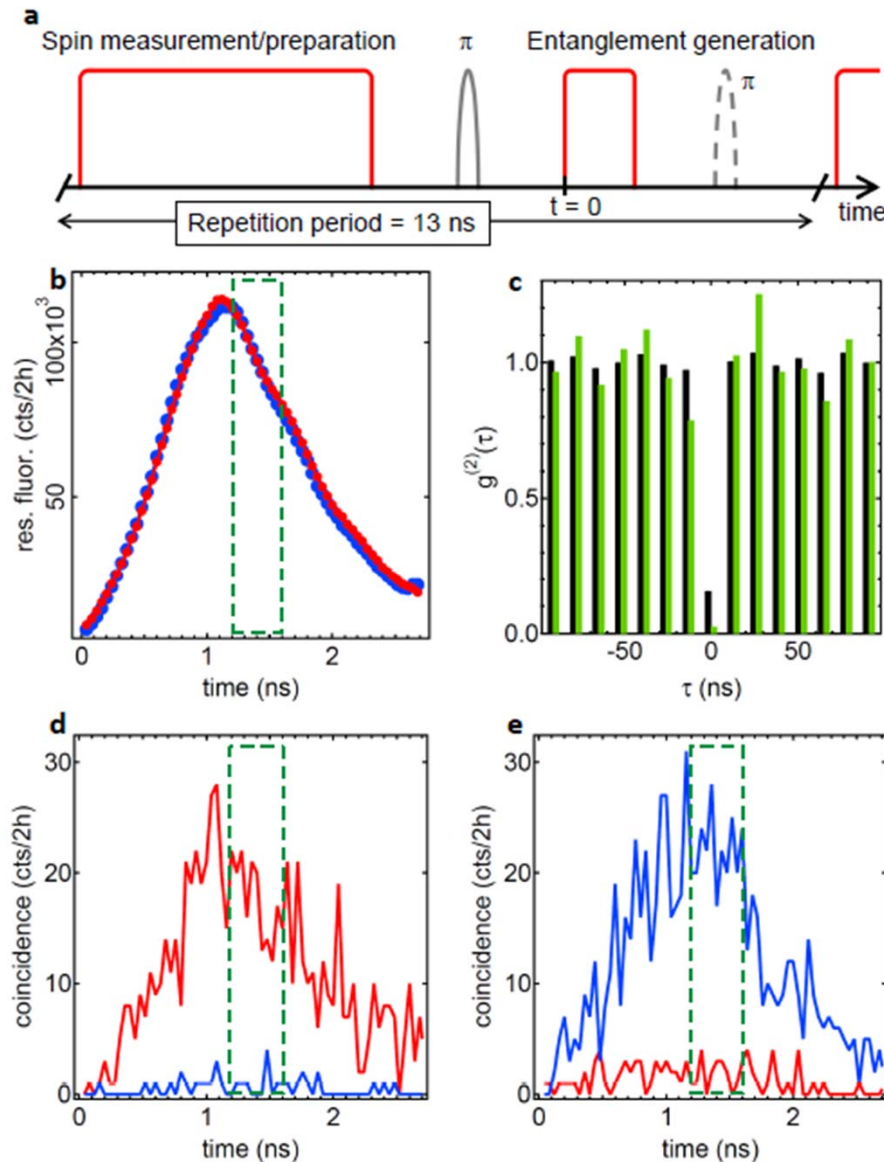


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The $g(2)$ measurement shows that for the [1.2ns, 1.64ns] time range, probability of two-photon emission is negligible.

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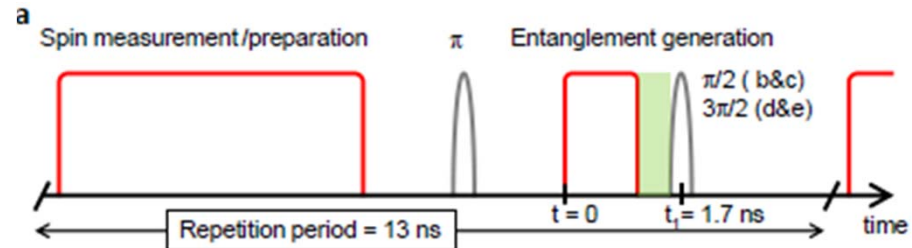
Identical (unconditional) counts for red and blue photons confirm the selection rules.

The $g(2)$ measurement shows that for the [1.2ns, 1.64ns] time range, probability of two-photon emission is negligible.

A spin down (up) measurement event ensures that the detected photon is red (blue).

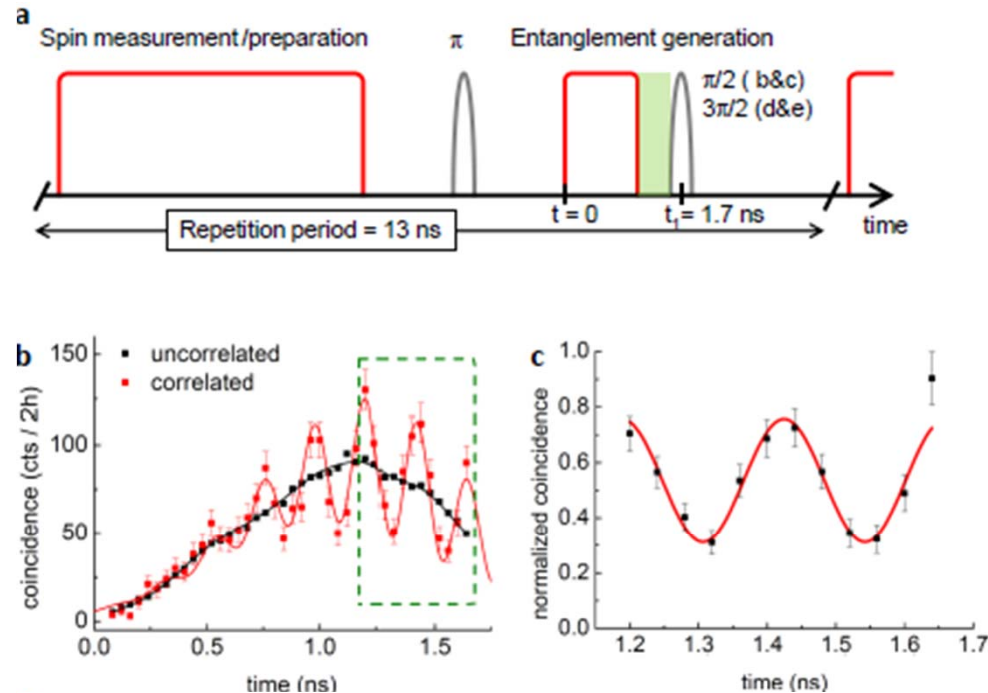
$F1 = 0.87 \pm 0.05$ in the computational basis measurement

Measurement of quantum correlations



- An additional $\pi/2$ or $3\pi/2$ -pulse (dashed curve) is applied to measure the spin in $|\uparrow\rangle \pm |\downarrow\rangle$.

Measurement of quantum correlations

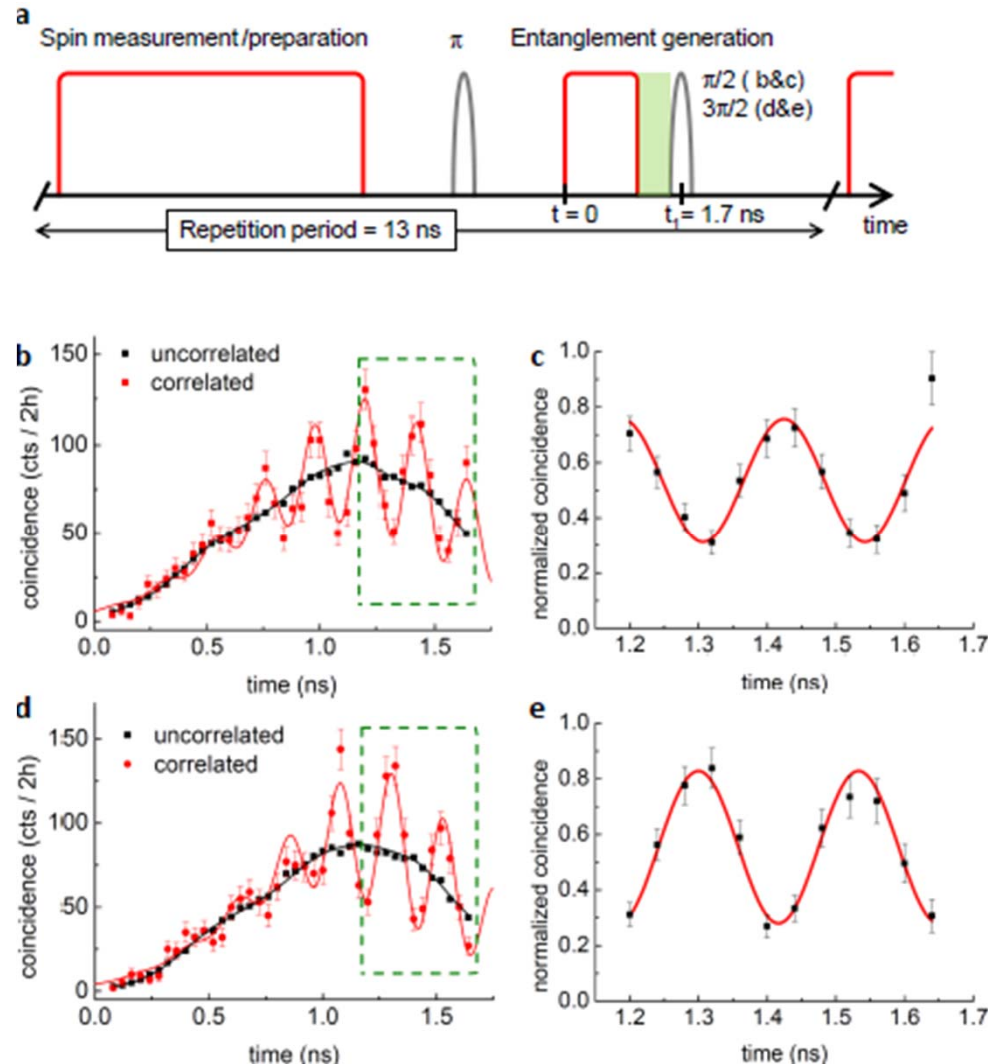


- An additional $\pi/2$ or $3\pi/2$ -pulse (dashed curve) is applied to measure the spin in $|\uparrow\rangle \pm |\downarrow\rangle$.
- The data in b & c shows the coincidence measurement when $\pi/2$ -pulse is applied.

$$|\tilde{\Phi}\rangle = \frac{1}{\sqrt{2}}(|\omega_{red}\rangle e^{-i\omega_z(t_1-t_g)} - i|\omega_{blue}\rangle)$$

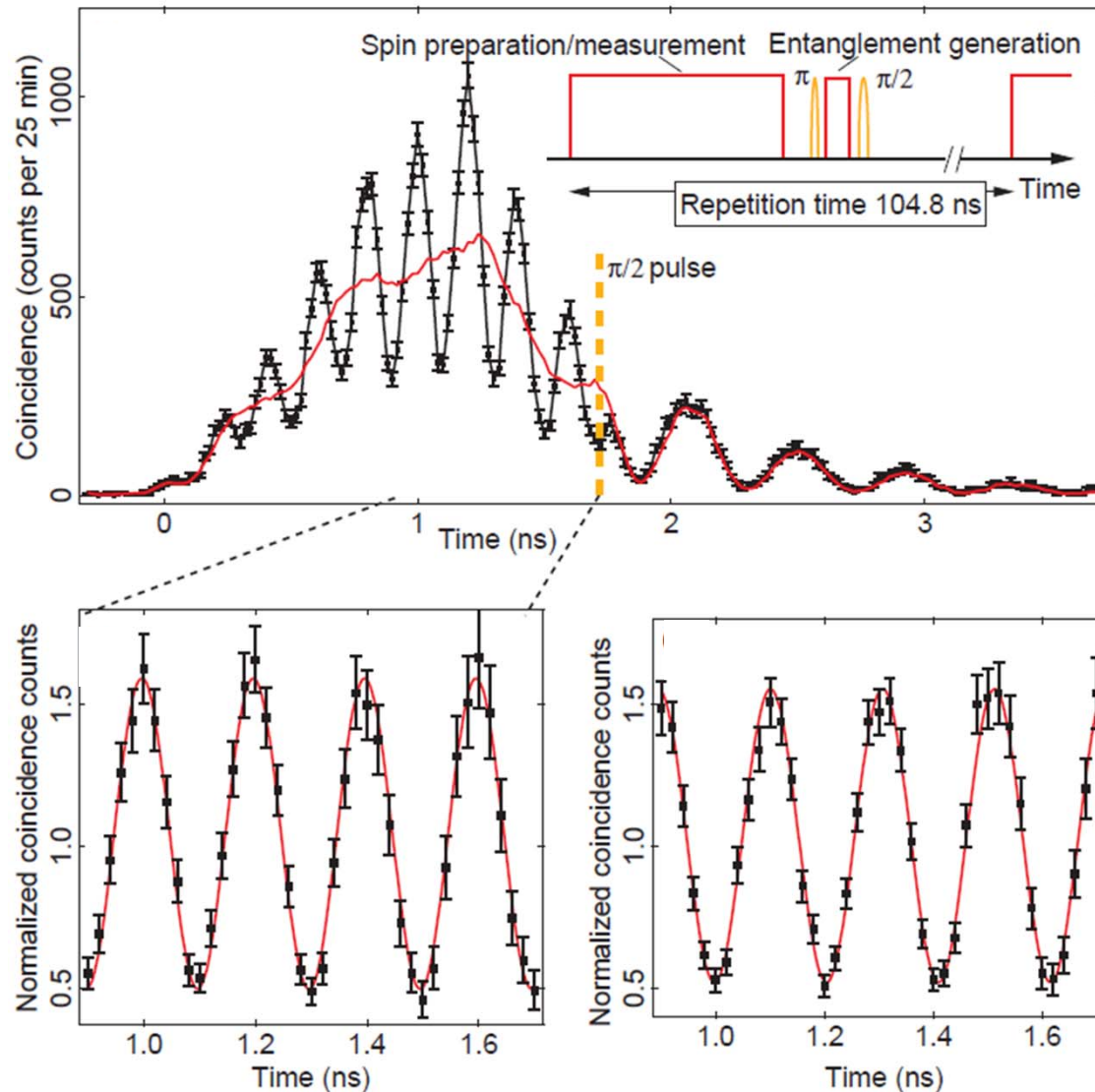
\Rightarrow Photon generation events at different times correspond to a measurement of the photonic wave-function in different basis.

Measurement of quantum correlations



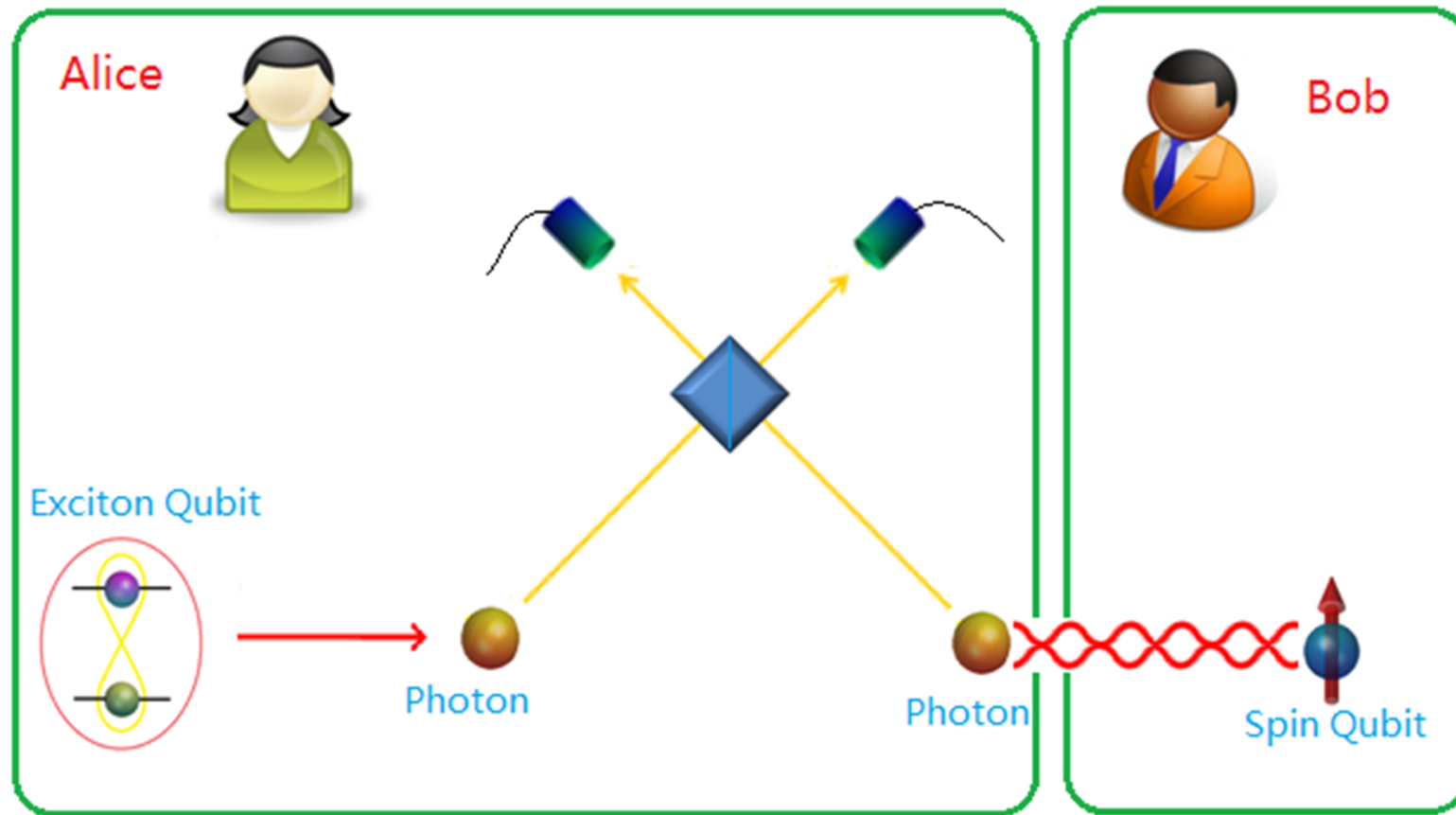
- An additional $\pi/2$ or $3\pi/2$ -pulse (dashed curve) is applied to measure the spin in $|\uparrow\rangle \pm |\downarrow\rangle$.
- The data in b & c shows the coincidence measurement when $\pi/2$ -pulse is applied.
- The data in d & e shows the coincidence measurement when $3\pi/2$ -pulse is applied.
- $F2 = 0.46 \pm 0.04$ in the rotated basis measurement; overall fidelity $F = 0.67 \pm 0.05$

Improved spin-photon entanglement



- Fidelity limited primarily by the detector jitter
- The oscillation period before (after) the $\pi/2$ pulse is given by electron (hole) Zeeman energy.

Teleportation from a photonic qubit to a solid-state spin qubit

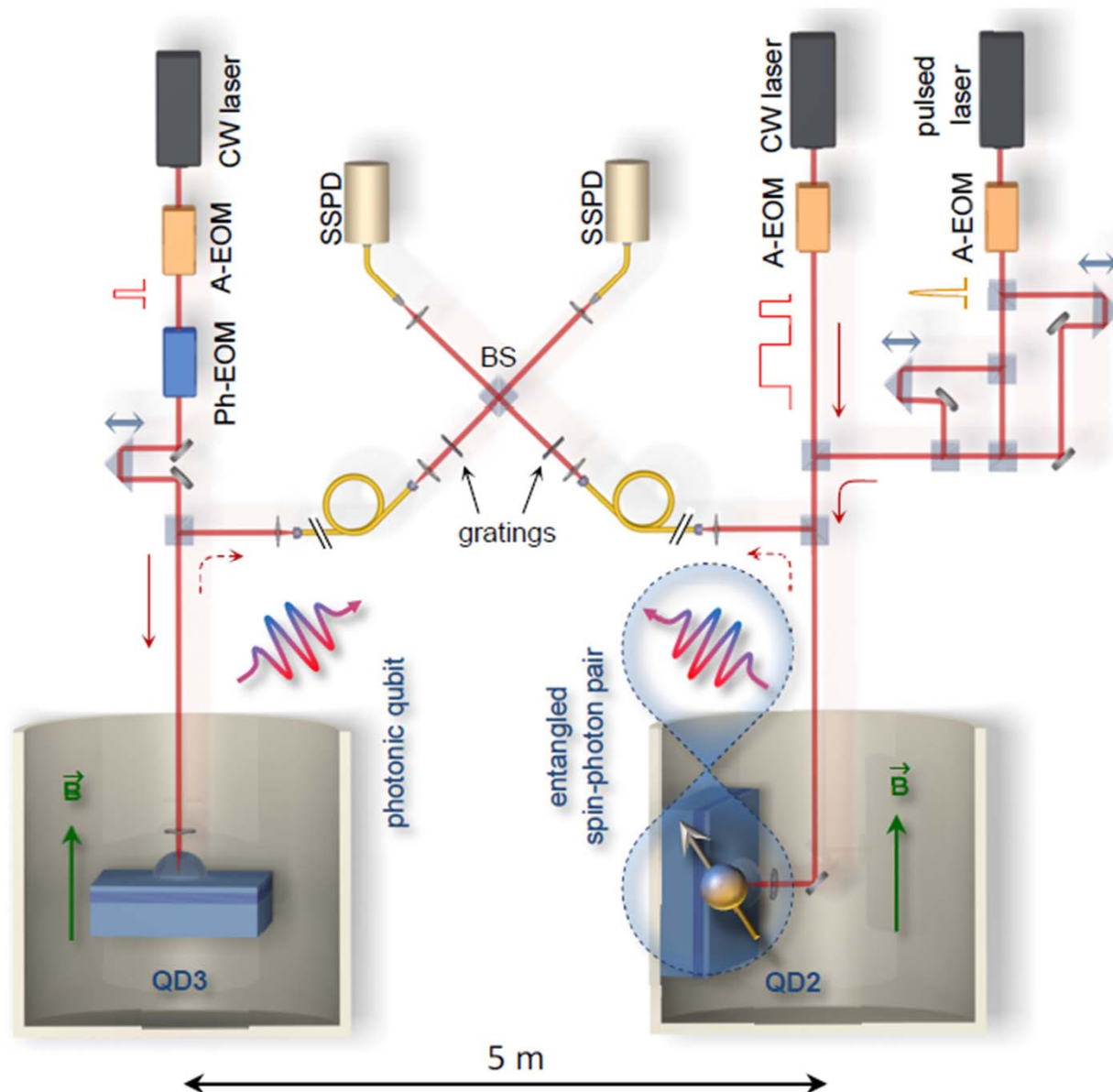


$$|\psi_p\rangle = \alpha|\omega_b\rangle_A + \beta|\omega_r\rangle_A$$

$$|\Psi\rangle = \frac{1}{\sqrt{2}}(|\downarrow\rangle|\omega_{red}; H\rangle + i|\uparrow\rangle|\omega_{blue}; V\rangle)$$

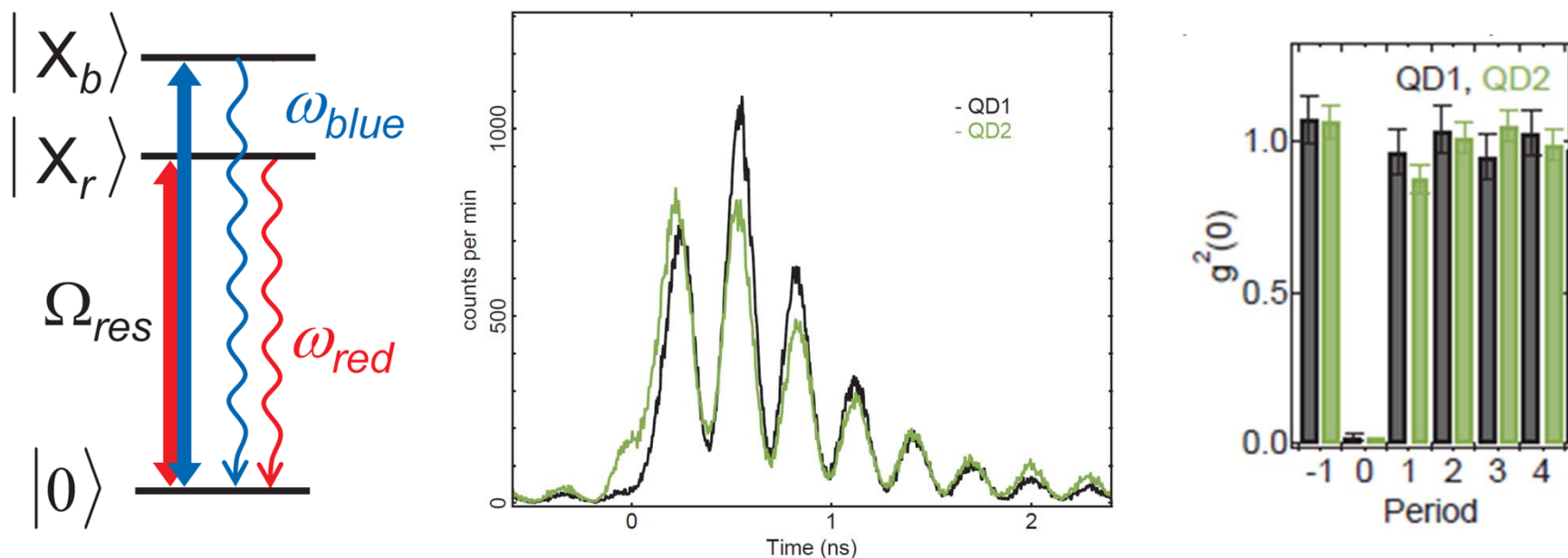
Output: $|\psi_e\rangle = \alpha|\downarrow\rangle + \beta|\uparrow\rangle$

Experimental teleportation scheme



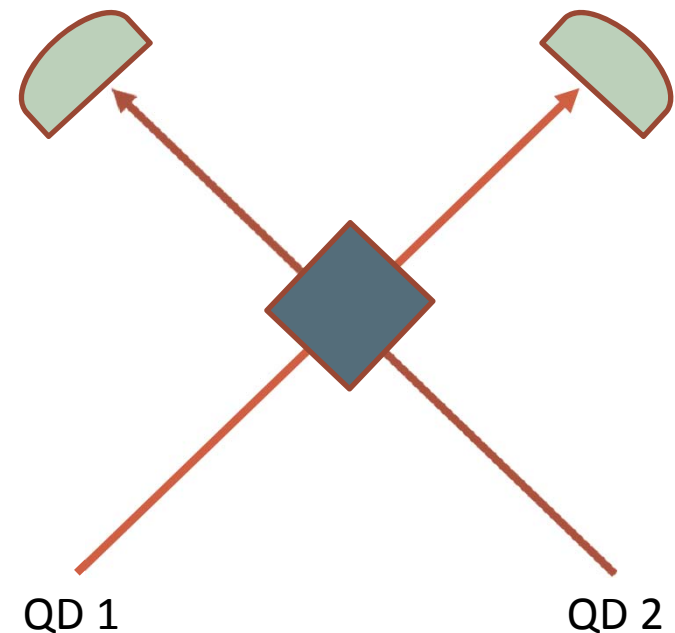
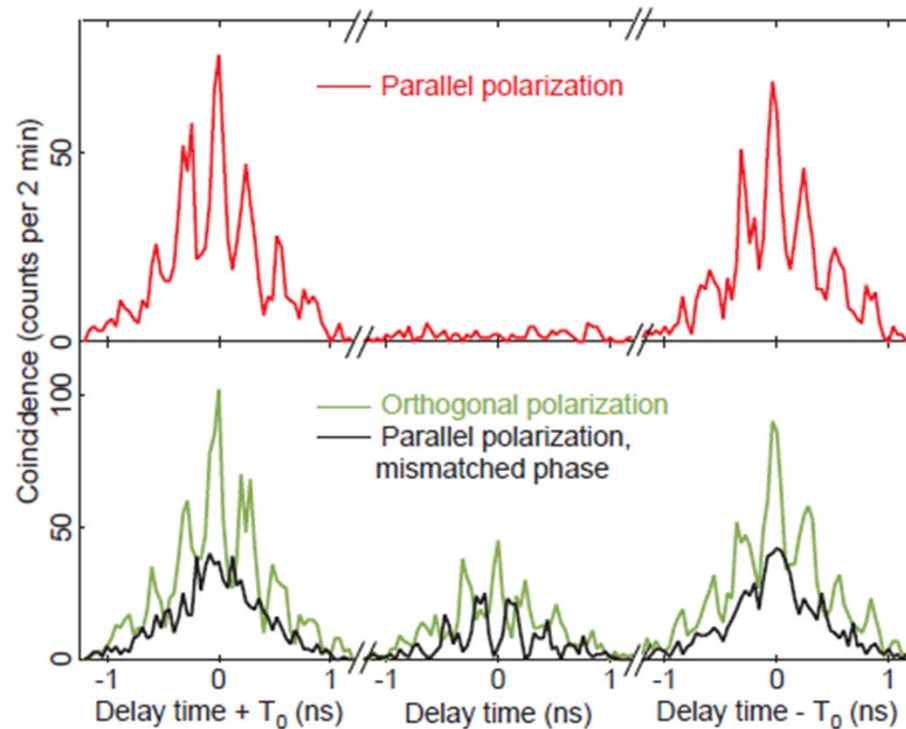
Generation of a single-photon color-qubit from a QD exciton

In a neutral QD, the elementary optical excitations are excitons (X_0); the two linearly polarized exciton X_0 lines are split due to electron-hole exchange by ~ 5 GHz



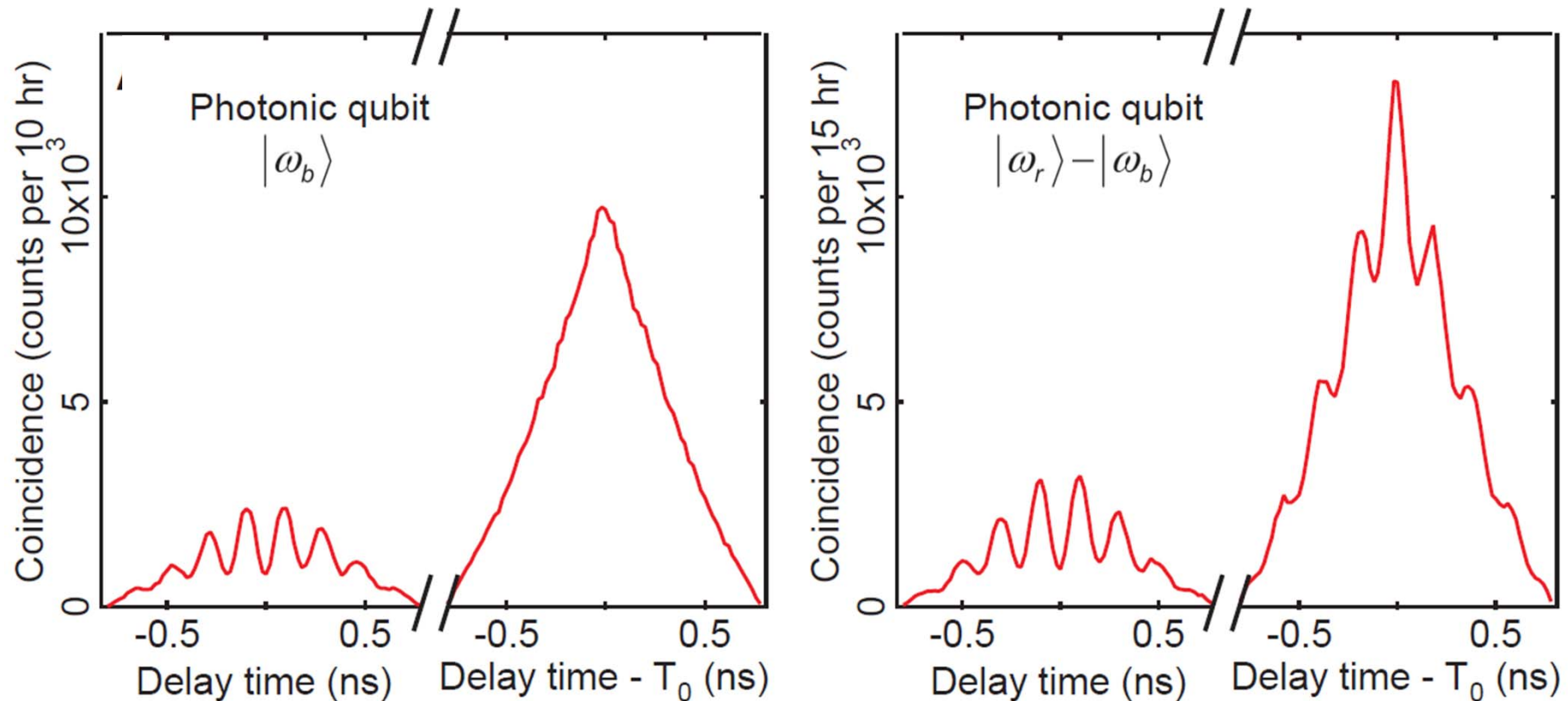
By controlling the pulse-shape, detuning and polarization of the resonant laser, we could generate a single-color photon or a two-color photonic qubit

Interference of photonic qubits (superposition of blue & red photons) coming from two neutral quantum dots



- For identical incident photons no coincidence detection (i.e. no counts around $t = 0$)
- 80% visibility in interference of two photonic (color) qubits

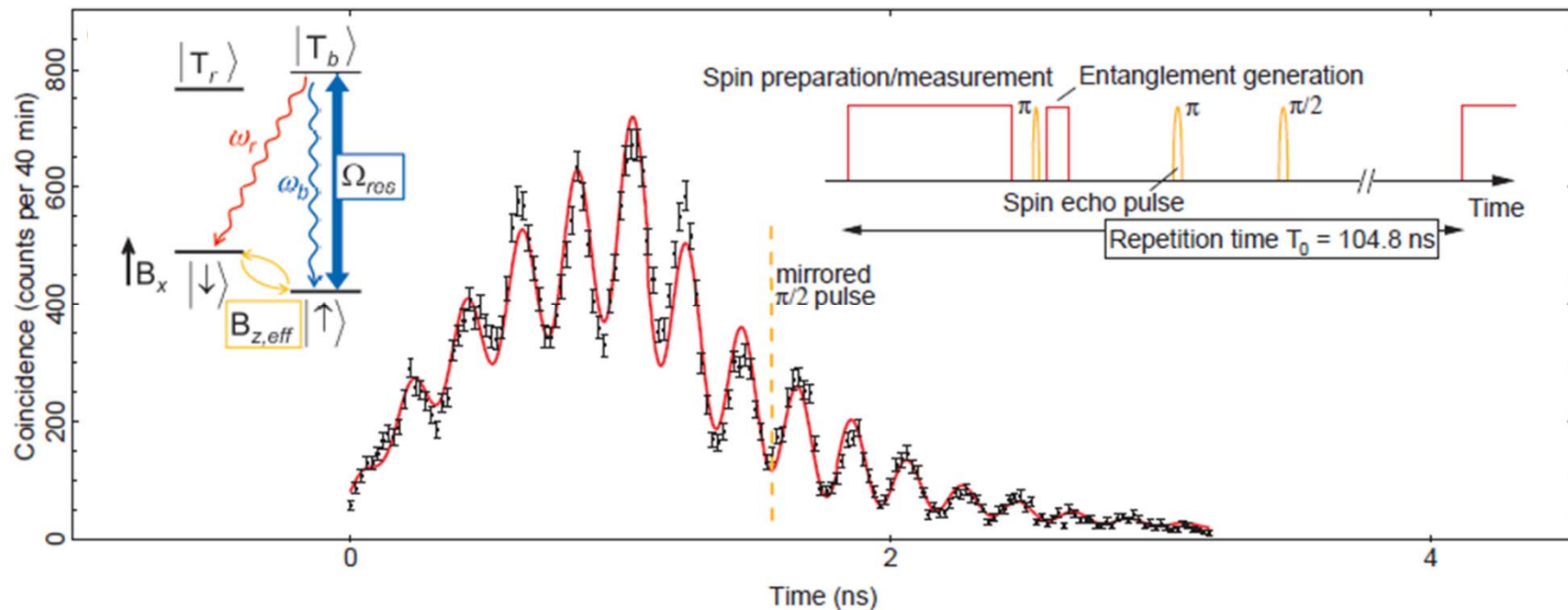
Interference of one photon coming from a neutral QD with a photon from a single-electron-charged QD



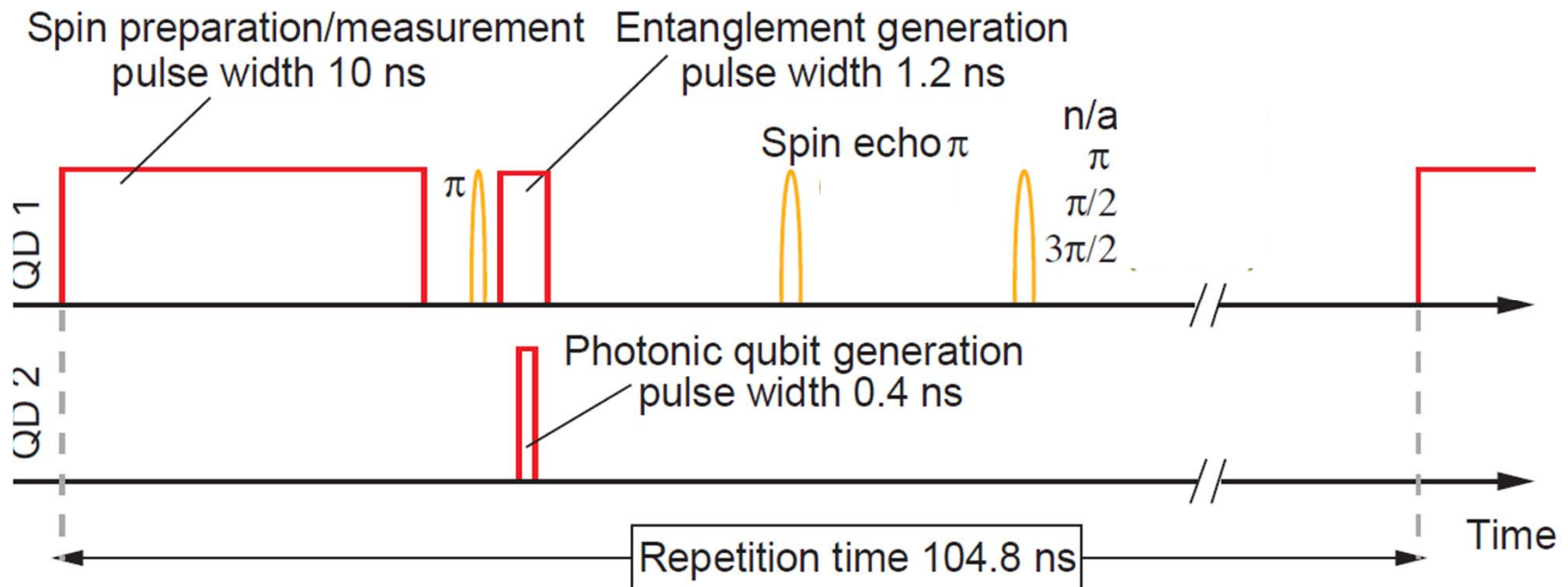
- Coincidences from the same-period are ideally $\frac{1}{4}$ of the other peaks, when the spin state is discarded.
- It is these coincidences that herald teleportation.

Spin-photon entanglement with spin-echo

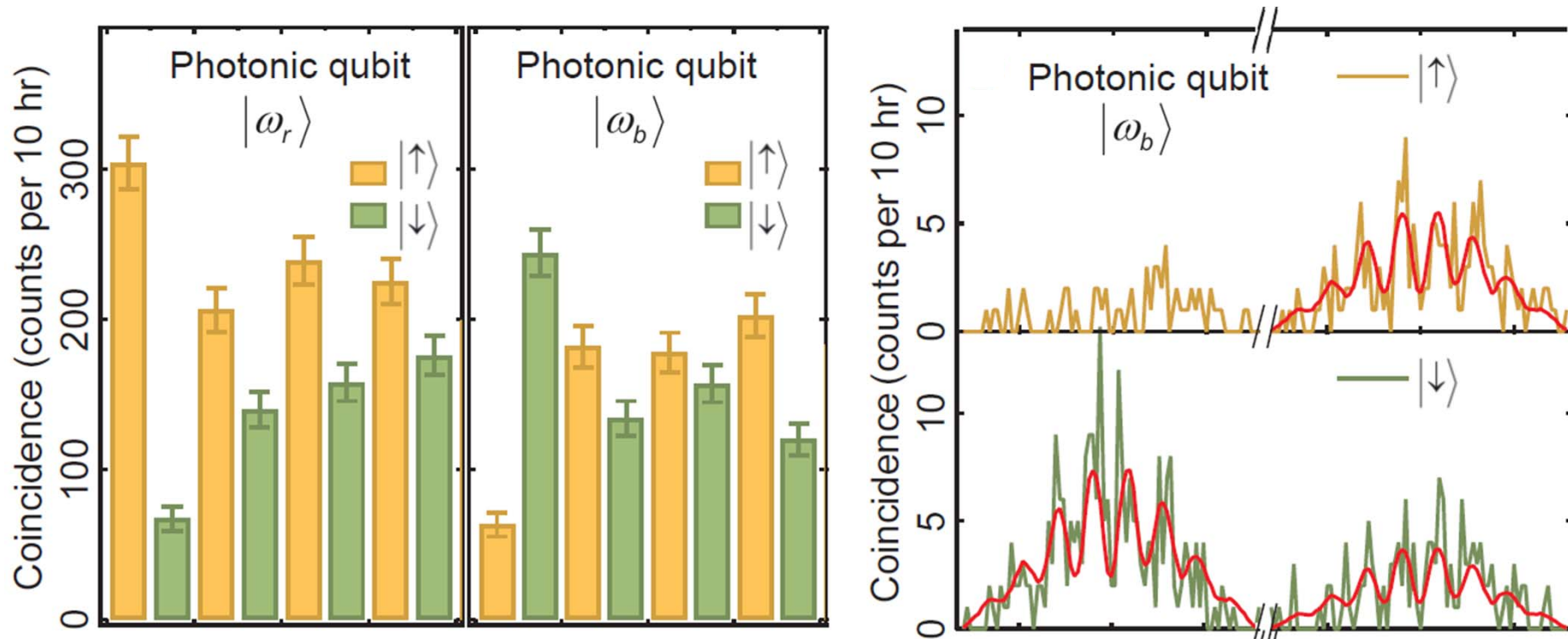
- To ensure that spin is detected after a coincidence event heralds successful teleportation, we need to prolong the spin-coherence
- Quantum correlations between the QD spin and the emitted single-photon after an echo time of 13 ns



Quantum teleportation pulse sequence

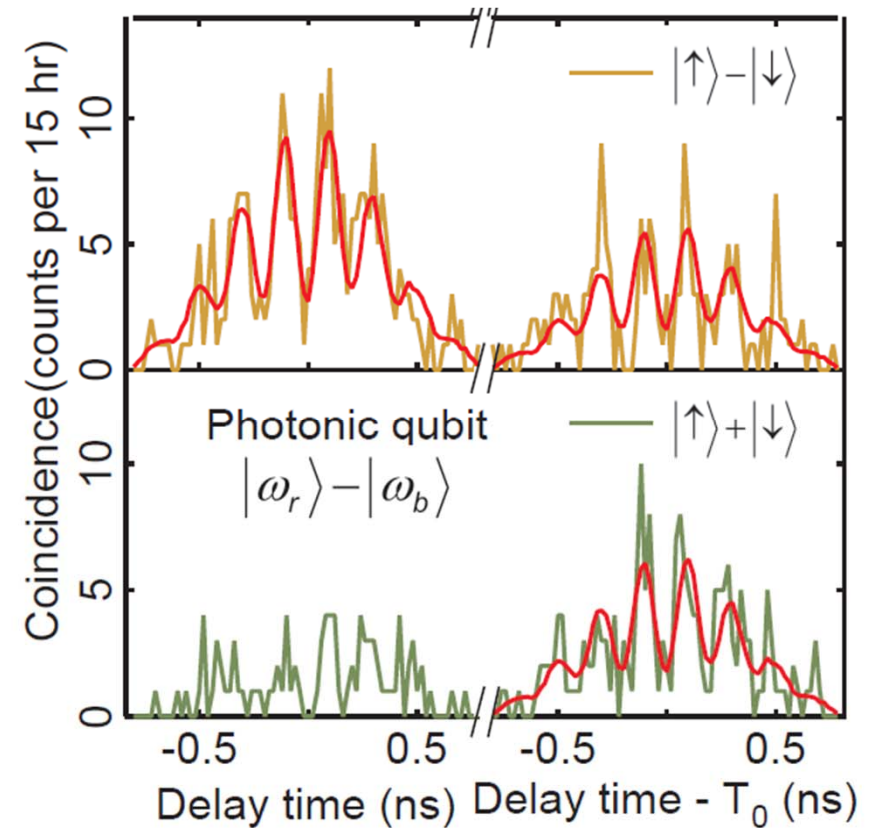
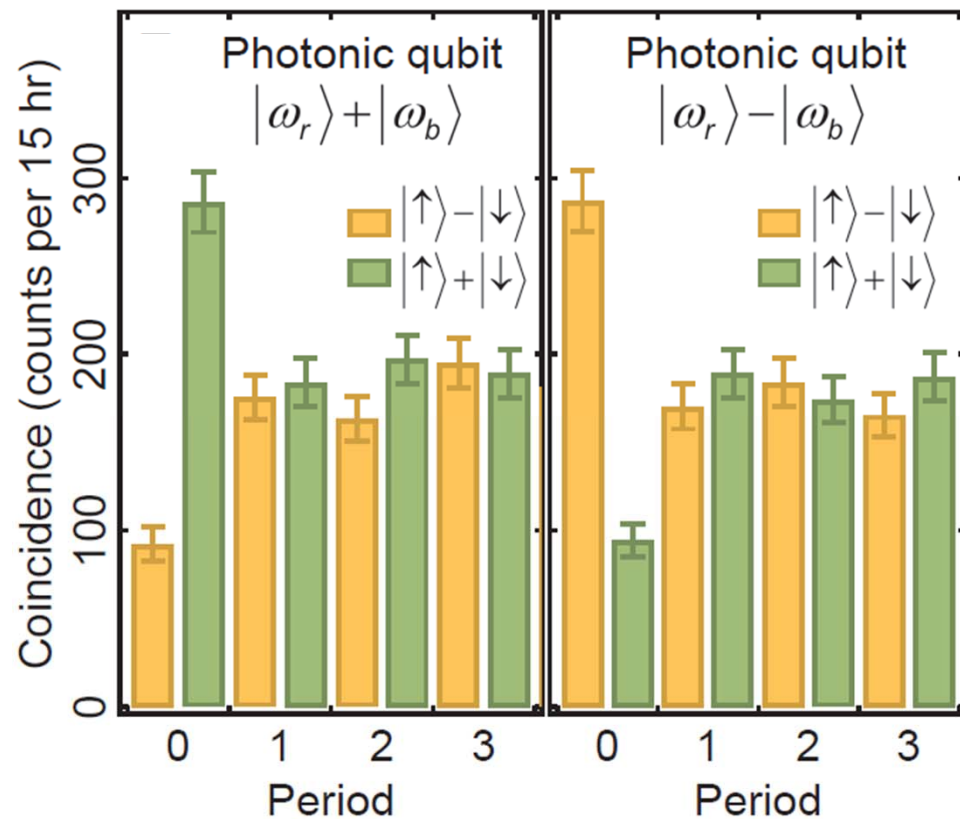


«Classical teleportation» (3-fold coincidences)



- For a photonic qubit in $|\omega_b\rangle$, detection of a coincidence ensures that the photon from the entangled pair was in $|\omega_r\rangle$ - which in turn fixes the spin to be in $|\uparrow\rangle$.

Quantum correlations in teleportation (3-fold coincidences)



Overall teleportation fidelity: 0.78 ± 0.03

Outlook

- Spin-Spin entanglement
- Understanding and suppressing the role of hyperfine interactions.

Thanks to

- **Weibo Gao**
- Aymeric Delteil, Emre Togan, Parisa Fallahi, Javier Sanchez